

newHeaviside0 = 1

u(t) = heaviside(t)

pulse(t) =

$$\text{heaviside}\left(t + \frac{1}{2}\right) - \text{heaviside}\left(t - \frac{1}{2}\right)$$

triangle(t) =

$$-\left(\text{heaviside}\left(t - \frac{1}{2}\right) - \text{heaviside}\left(t + \frac{1}{2}\right)\right) (2t - 4t \text{heaviside}(t) + 1)$$

==== READ THESE INSTRUCTIONS FOR YOUR REPORT ===

First, this should be opened in "Maatlab Live Editor" to export a pdf.

NOTE: print the pdf in "Hide Code" format (see button on right of maatlab)

Then, make any needed maatlab changes per any questions below.

You must re-run the script for changes to take effect.

Dont forget to add the names of the group members as shown below.

Answer all numbered questions below, Q1, Q2, etc.

Select the "Hide Code" format (see button on right of maatlab) before pdf export.

In live editor, use Save::export-as-pdf to print the report

DO A FINAL CHECK of your pdf before turning it in.

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ECGR 4124 Computer Project: Linear Convolution

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PART 1: Continuous-Time Convolution =====

parameters and definitions:

x(t) =

$$4 \text{heaviside}(t - 1) - 4 \text{heaviside}\left(t - \frac{3}{2}\right)$$

h(t) =

$$2 \text{heaviside}\left(t - \frac{3}{2}\right) - 2 \text{heaviside}(t - 3)$$

y(t) =

$$\begin{cases} 0 \\ \text{heaviside}\left(t - \frac{5}{2}\right) (8t - 20) - \text{heaviside}(t - 3) (8t - 24) - \text{heaviside}(t - 4) (8t - 32) + \text{heaviside}(t - \end{cases}$$

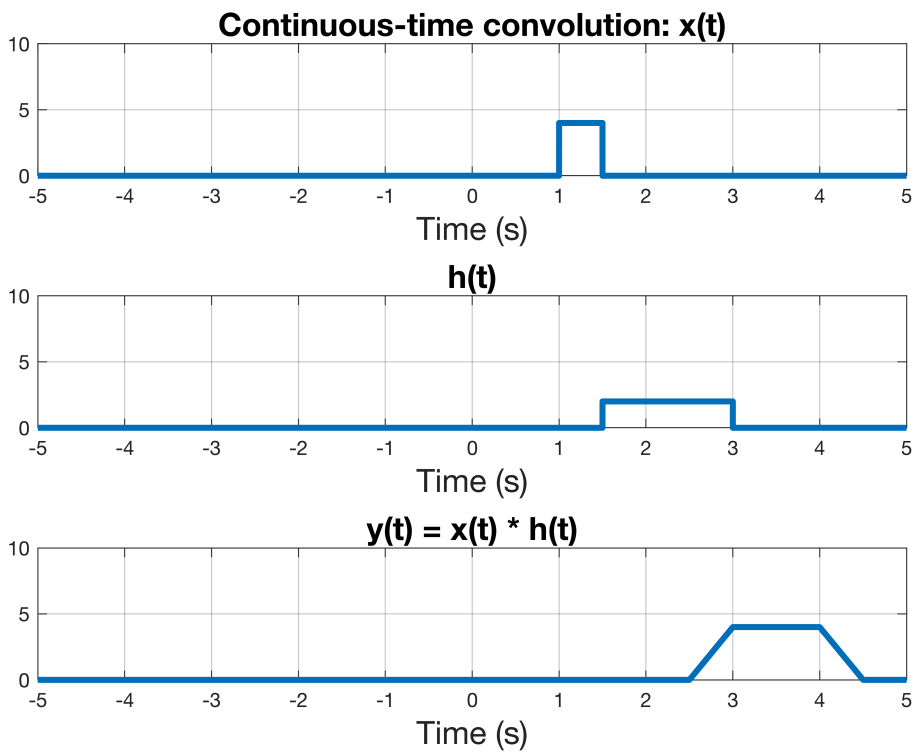


Fig. 1. Continuous-time convolution.

QQ

Q1. Change the simulation for  $h(t)$  to be a pulse with amplitude = 3 beginning at  $t=1$  s and ending at  $t=3$  s. Do not change  $x(t)$ . (Fig. 1 simulation should change accordingly.)

QQ

Q2. After making the changes in Q1, observe Fig. 1, and use the cursor tool to measure the maximum amplitude of  $y(t)$ . Also compute the theoretical maximum of  $y(t)$  by calculating the area of  $x(t)$  multiplied by  $h(t)$ , when  $x(t)$  is centered in the middle of  $h(t)$ . Hint: multiply the functions point by point at each time  $t$ , then take the area

Answer: measured peak of  $y(t) = ???$

Answer: calculated area = ???

parameters and definitions:

$$x_2(t) =$$

$$-10 \left( \text{heaviside}\left(t - \frac{1}{4}\right) - \text{heaviside}\left(t - \frac{3}{4}\right) \right) \left( 4 \text{heaviside}\left(t - \frac{1}{2}\right) (2t - 1) - 4t + 1 \right)$$

$$x_2(t) = 4 \text{heaviside}(t) - 4 \text{heaviside}(t - 1)$$

$$h_2(t) = \text{heaviside}(t - 2) - \text{heaviside}(t - 4)$$

$$y_2(t) =$$

$$\begin{cases} 0 \\ \text{heaviside}(t - 2) (4t - 8) - \text{heaviside}(t - 3) (4t - 12) - \text{heaviside}(t - 4) (4t - 16) + \text{heaviside}(t - 5) \end{cases}$$

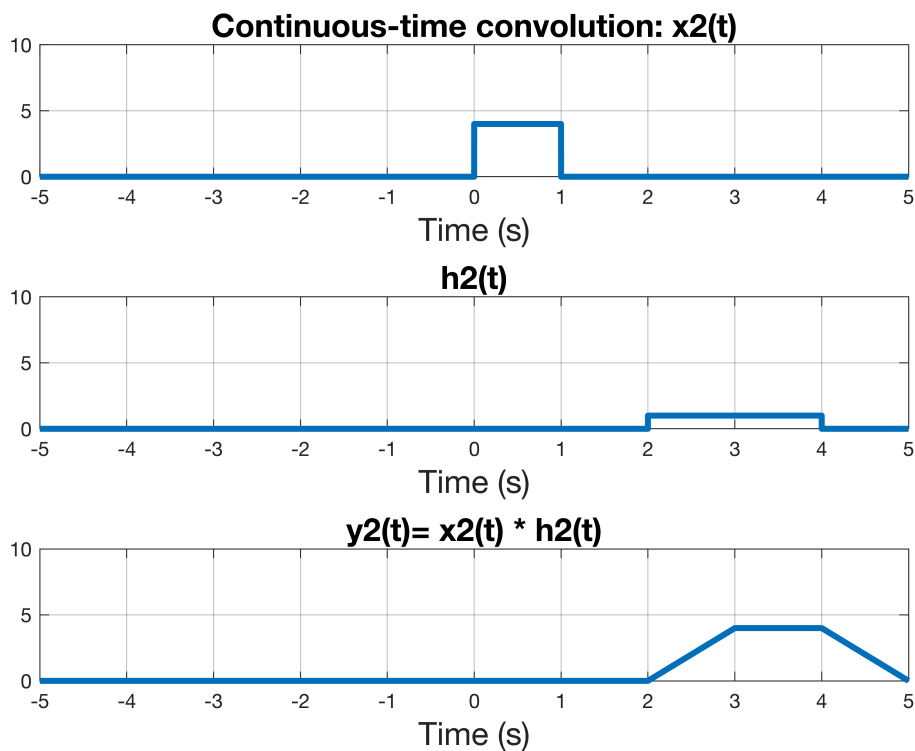


Fig. 2. Continuous-time convolution.

QQ

Q3. Change the simulation for  $h_2(t)$  to be a pulse with amplitude = 2 beginning at  $t=1$  s and ending at  $t=2$  s.

(Fig. 2 simulation should change accordingly.)

QQ

Q4. After making the changes in Q3,

observe Fig. 2, and use the cursor tool to measure the maximum amplitude of  $y_2(t)$ . Be sure to measure the peak.

Also compute the theoretical maximum of  $y_2(t)$  by calculating the area of  $x_2(t)$  multiplied by  $h_2(t)$ , when  $x_2(t)$  is centered in the middle of  $h_2(t)$ .

Hint: multiply the functions point by point at each time  $t$ , then take the area

Answer: measured peak of  $y_2(t) = ???$

Answer: calculated area = ???

PART 2: Discrete-Time Linear Convolution =====

$x_n = 1 \times 20$	0	0	0	0	4	4	0	0	0	0	0	0	0 ...
$h_n = 1 \times 20$	1	2	3	2	1	0	0	0	0	0	0	0	0 ...
$y_n = 1 \times 20$	0	0	0	0	4	12	20	20	12	4	0	0	0 ...
$n_n = 1 \times 20$	0	1	2	3	4	5	6	7	8	9	10	11	12 ...

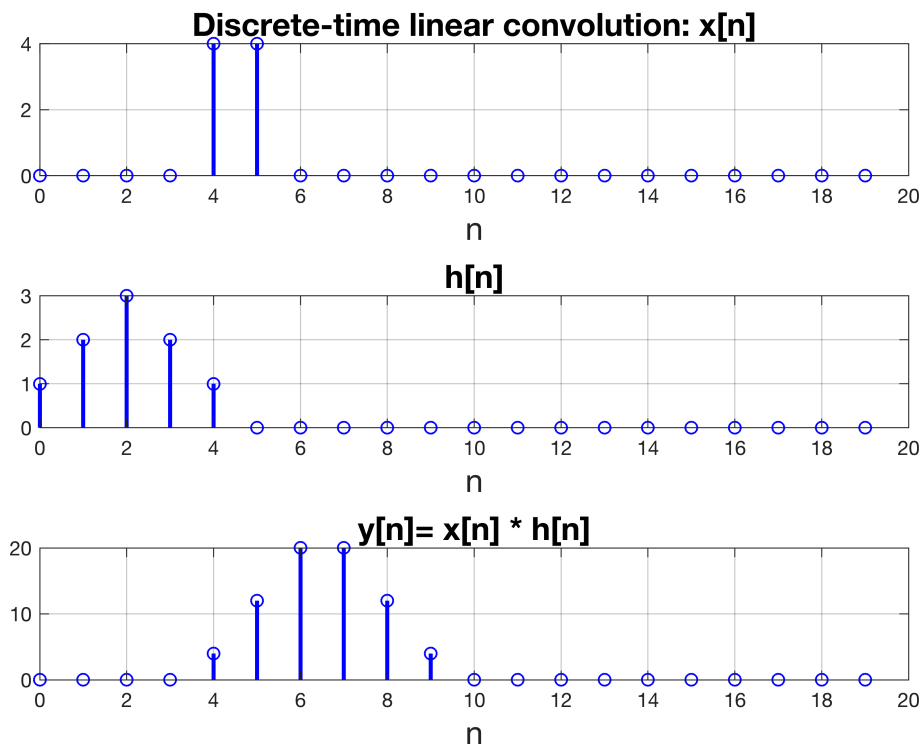


Fig. 3. Discrete-time convolution.

QQ

Q5. Change the simulation, setting

hn= [3 3 3 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 ]

(Fig. 3 simulation should change accordingly.)

QQ

Q6. After making the changes in Q5,

observe Fig. 3, and use the cursor tool to measure the maximum amplitude of  $y_n$  (denoted  $y[n]$  in the plot).

Also compute the theoretical maximum of  $y[n]$  by calculating the sum of  $x[n]$  multiplied by  $h[n]$ , when  $x[n]$  is centered in the middle of  $h[n]$ .

Hint: multiply the functions point by point at each point  $n$ , then take the sum.



QQ

Q8. After making the changes in Q7,  
observe Fig. 4, and use the cursor tool to measure the  
maximum amplitude of  $y_2$  (denoted  $y_2[n]$  in the plot).  
Also compute the theoretical maximum of  $y_2[n]$  by calculating the  
sum of  $x_2[n]$  multiplied by  $h_2[n]$ , when  $x_2[n]$  is centered in the middle  
of  $h_2$ .  
Hint: multiply the functions point by point at each point  $n$ ,  
then take the sum.

Answer: measured peak of  $y_n = ???$

Answer: calculated sum = ???

$$C_{\text{formula}} = A_i A_r + A_i B_{ii} + A_r B_r (1 - i)$$

$$A = 2.0000 + 3.0000i$$

$$B = 5.0000 + 7.0000i$$

$$C_{\text{mult}} = -11.0000 + 29.0000i$$

$$C_{\text{formula}} = 16 + 11i$$

QQ

Q9.  
Observe the values of  $C_{\text{mult}}$  and  $C_{\text{formula}}$  above, where  $C_{\text{formula}}$   
is the explicit formula for complex multiplication WITH ERRORS.  
Correct the errors in the formula for  $C_{\text{formula}}$ , such that  
 $C_{\text{mult}} = C_{\text{formula}}$  above. Note:  $A*B$  is NOT the answer.

QQ

Q10.  
What famous 1971 integrated circuit has Federico Faggin initials,  
and what was the function this digital circuit?  
Hint: see [www.intel4004.com](http://www.intel4004.com)

Answer: ???

